

# AMDA

# **Efficient Visibility Reuse for Real-time ReSTIR**

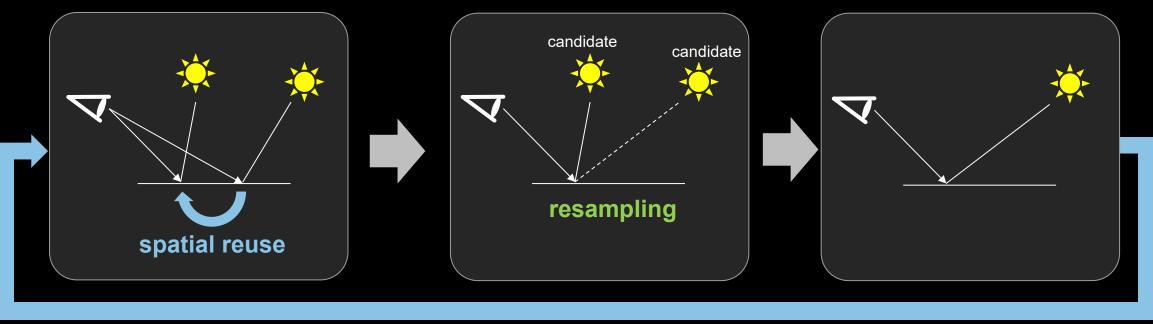
Yusuke Tokuyoshi





## Spatiotemporal Reservoir Resampling (ReSTIR)

- Powerful importance resampling technique
- Reuse samples in spatial neighbors and past frames → many candidate samples ☺
- Resample according a target distribution ≈ integrand (i.e., lighting with shadow rays)

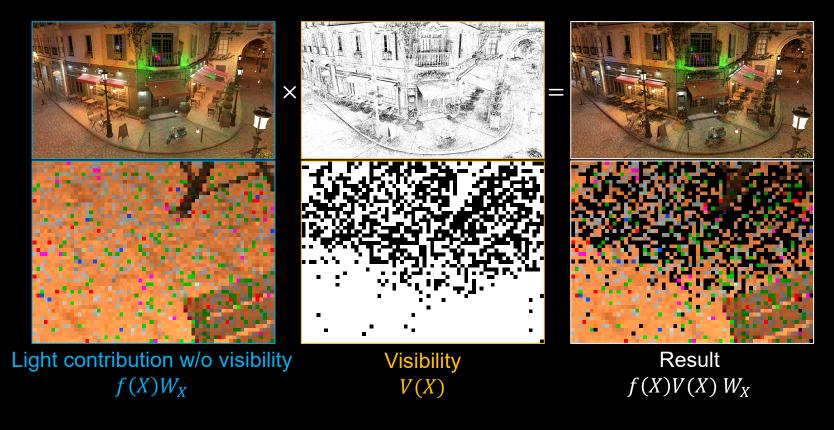


temporal reuse



## Shadow Noise in Real-time ReSTIR [Bitterli et al. 2020; Wyman and Panteleev 2021]

- Ignore shadow ray visibility for the target distribution
- Reduce the variance for the light contribution w/o shadow ray visibility ③
- Inefficient to reduce shadow noise S



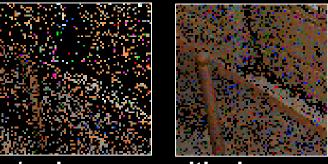


## **Reduce the shadow variance reusing visibilities**



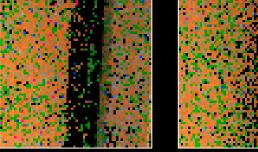
## **Previous Biased Visibility Reuse**

- Reuse the initial sample visibility [Bitterli et al. 2020]
  - Trace a shadow ray for the initial sample and reuse it for resampling weights
  - Significantly reduce the variance inside shadows ©
  - Bias = darkening + temporal delay
  - Ineffective around shadow edges (3)



w/o vis. reuse with vis. reuse

- Reuse the spatial sample visibility [Wyman and Panteleev 2021]
  - Trace a shadow ray for a (distant) spatial sample and reuse it for the integrand
  - Can control the shadow ray count (performance vs quality) ©
  - Bias = temporal delay (+ shadow edge disappearance for small ray counts)
  - Does not reduce the shadow variance



2 rays/pixel

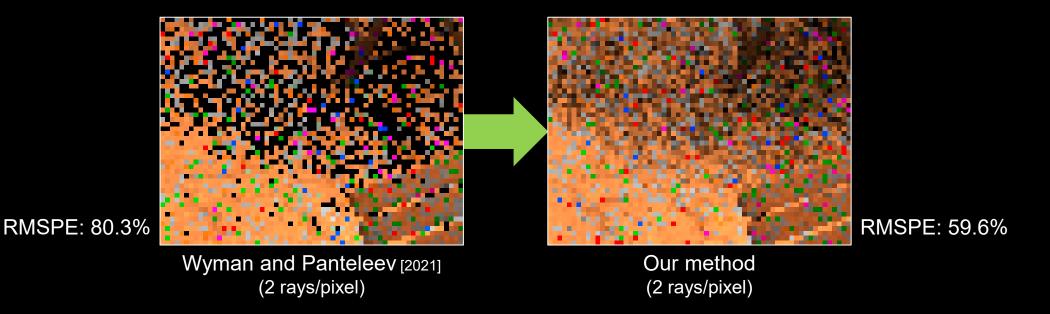
1.25 rays/pixel

R



## **Our Method**

- Variance reduction method based on Wyman and Panteleev's visibility reuse [2021]
  - Easy to implement ☺
- Additional bias for typical real-time implementations
- Discuss conditions to obtain unbiased results







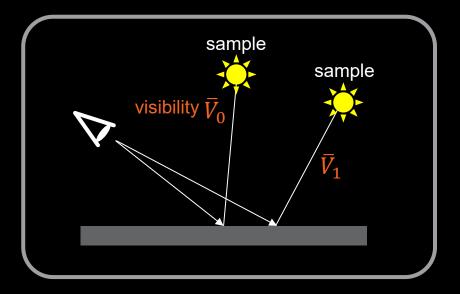




# **Our Method**

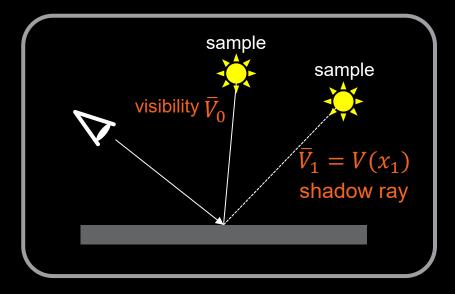


• Reuse spatiotemporal sample visibilities for the integrand as in Wyman and Panteleev [2021]



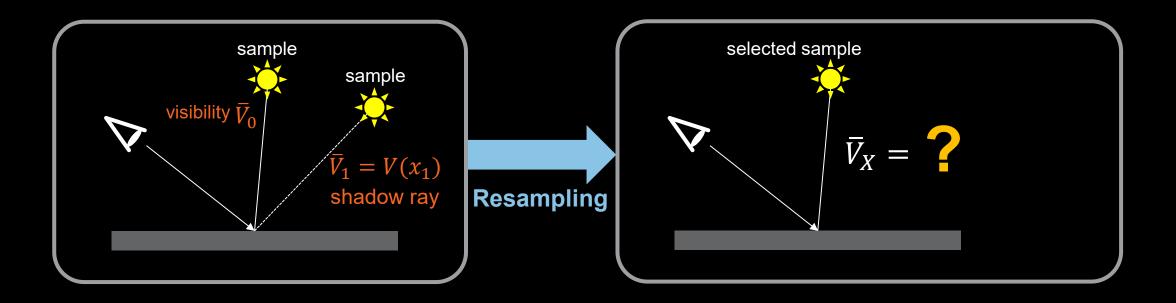


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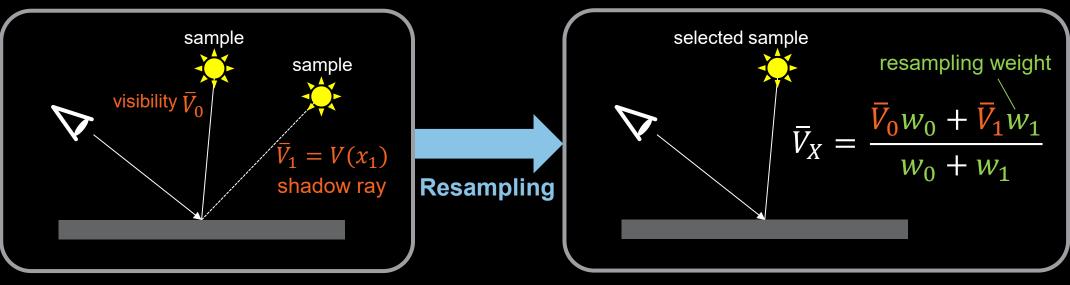


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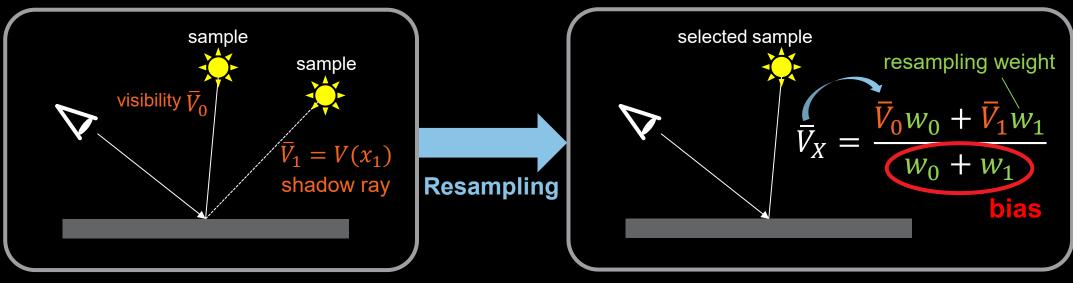


- Reuse spatiotemporal sample visibilities for the integrand as in Wyman and Panteleev [2021]
- Estimate a new visibility using a weighted average of visibilities unlike the previous method





- Reuse spatiotemporal sample visibilities for the integrand as in Wyman and Panteleev [2021]
- Estimate a new visibility using a weighted average of visibilities unlike the previous method
- A variant of weighted importance sampling (WIS) [Bekaert et al. 2000] (a.k.a. ratio estimator [Heitz et al. 2018])
  - Canonical sample visibility is also estimated by WIS in a chained manner
  - Biased estimator



## **Bias Cancellation**

- WIS is biased due to the normalization
- This normalization is recursively cancelled in ReSTIR ③

$$\int_{\Omega} f(x)V(x)dx \approx f(X)\overline{V}_X W_X = f(X)\frac{\sum_i \overline{V}_i w_i}{\sum_i w_i}\frac{\sum_i w_i}{\hat{p}_c(X)} = \frac{f(X)}{\hat{p}_c(X)}\sum_i \overline{V}_i w_i$$

$$\overline{V}_{i}w_{i} = m_{i}(T_{i}(x_{i}))\hat{p}_{c}(T_{i}(x_{i}))\frac{\Sigma_{k}\overline{V}_{k}w_{k}}{\Sigma_{k}}\frac{\Sigma_{k}w_{k}}{\hat{p}_{i}(x_{i})}\left|\frac{\partial T_{i}}{\partial x_{i}}\right|$$

R

## **Remaining Two Biases**

- Temporal shadow delay inherited from the previous method
  - In other words,  $\sum_i \overline{V_i w_i}$  is unbiased for static shadows
- Ratio of the light contribution f(X) and target distribution  $\hat{p}_{c}(X)$ 
  - If this ratio is constant, we can avoid the

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$$\int_{\Omega} \hat{p}_{c}(x)V(x)dx$$

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unbiased for static shadows  

$$\int_{\Omega} f(x)V(x)dx \approx f(X)\overline{V}_{X}W_{X} = \frac{f(X)}{\hat{p}_{c}(X)}\Sigma_{i}\overline{V}_{i}w_{i}$$
unbiased for static shadows

**Biased correction term** 

$$\int_{\Omega} \hat{p}_{c}(x) V(x) dx \quad \Longrightarrow \quad \int_{\Omega} f(x) V(x) dx$$

## Using $\hat{p}_{c}(X) \propto f(X)$ , our method is unbiased for static shadows

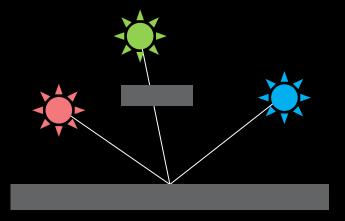
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## **Avoid the Bias for Colored Light Sources?**

- The light contribution f(X) can have different distributions between RGB channels
- Generate samples for each color channel?
- Randomly sample a color channel?

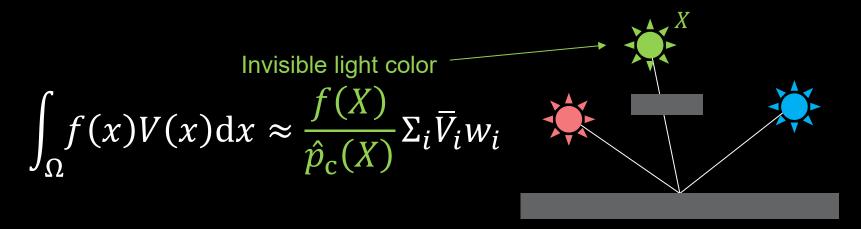
## **Expensive for real-time** $\otimes$





## **Biased Visibility Reuse for Real-time Rendering**

- The light contribution f(X) can have different distributions between RGB channels
- Approximate  $\hat{p}_c(X)$  by the luminance of f(X)
- Color of invisible lights can leak into shadows, but it is still unbiased in luminance



Invisible lights can be used as the correction term



## **Biased Visibility Reuse for Real-time Rendering**

- The light contribution f(X) can have different distributions between RGB channels
- Approximate  $\hat{p}_c(X)$  by the luminance of f(X)
- Color of invisible lights can leak into shadows, but it is still unbiased in luminance
- Reduce this color leak bias by combining Bitterli et al.'s visibility reuse [2020]
  - Reduce the sampling of invisible lights

Invisible light color  

$$\int_{\Omega} f(x)V(x)dx \approx \frac{f(X)}{\hat{p}_{c}(X)} \Sigma_{i} \overline{V}_{i} w_{i}$$



## **Biased Visibility Reuse for Real-time Rendering**

- The light contribution f(X) can have different distributions between RGB channels
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# **Results and Conclusion**



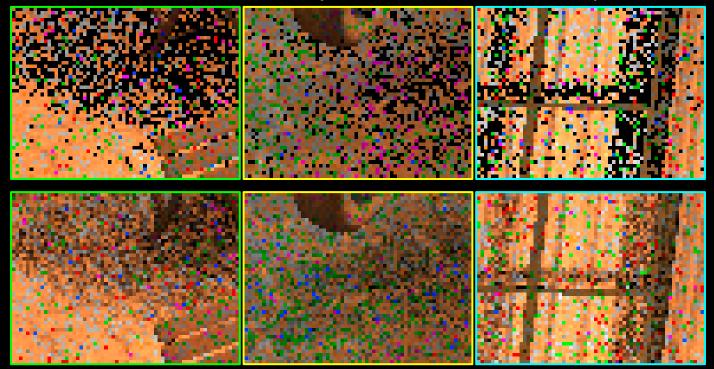
## **Biased Visibility-Reuse ReSTIR, 2 rays/pixel**





1920×1080 pixels AMD Radeon™ RX 7900 XTX GPU

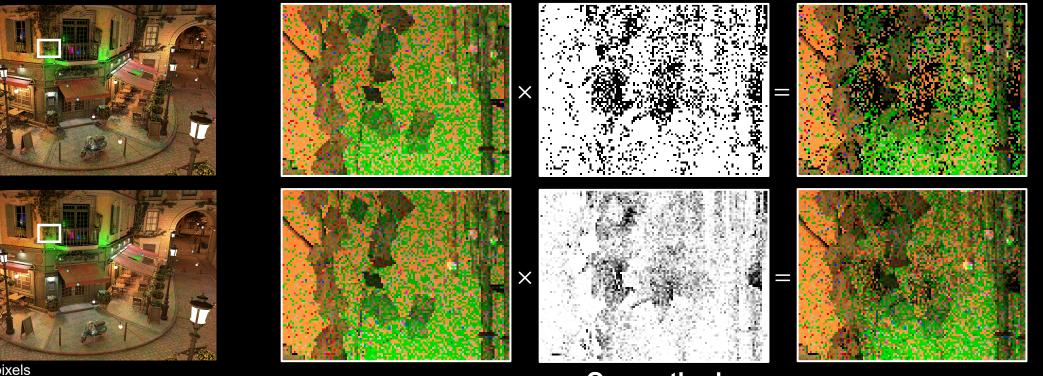
Previous method (7.85 ms, RMSPE: 80.3%)



Our method (7.86 ms, RMSPE: 59.6%)



## Visualization of Visibility Term



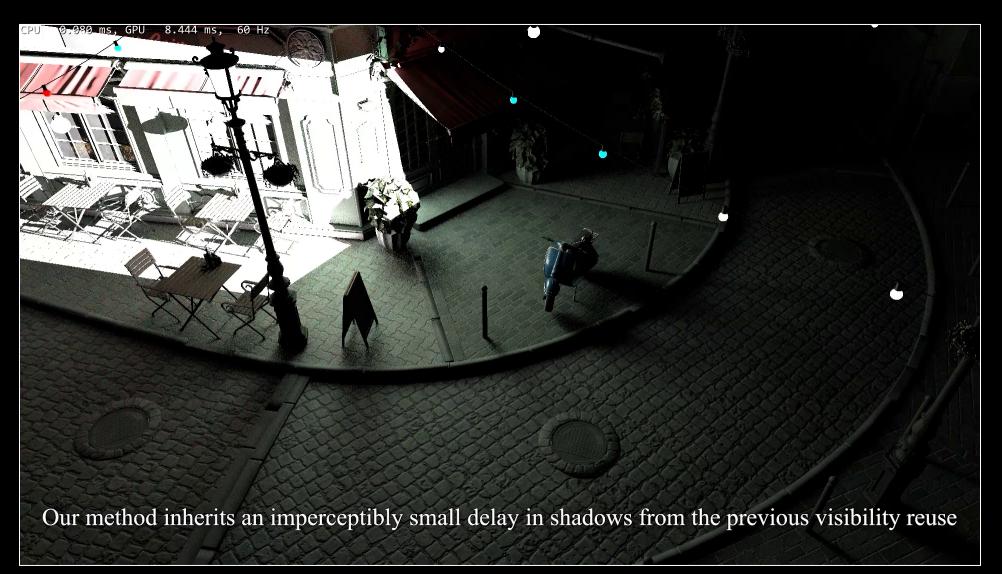
1920×1080 pixels AMD Radeon™ RX 7900 XTX GPU

Our method

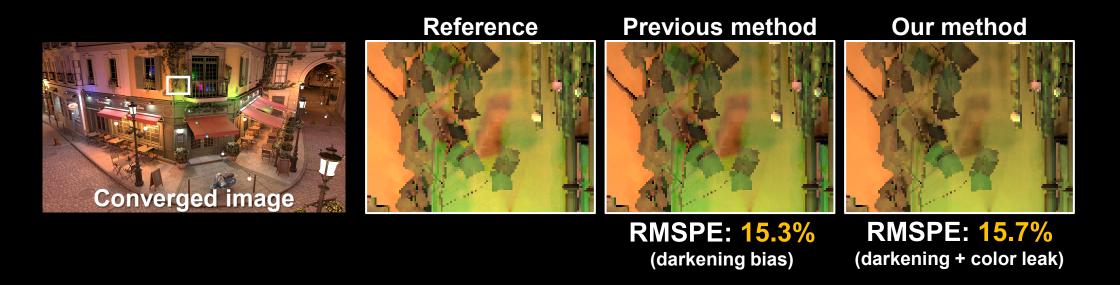
**Previous method** 



## Indirect Illumination Using Virtual Point Lights [Keller 1997]



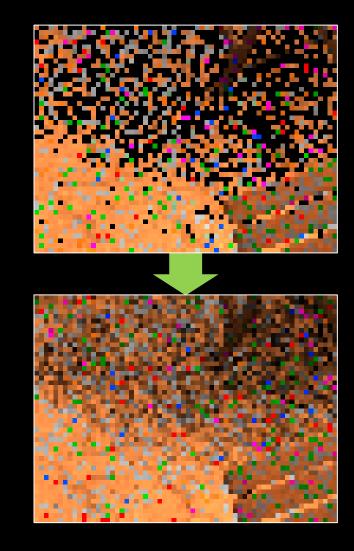
## **Limitation: Color Leak Bias**



- Color leak bias for practical real-time rendering
  - Biased in color, but unbiased in luminance
- This additional color leak bias (+0.4%) is significantly smaller than Bitterli et al.'s darkening bias (15.3%)
- Can avoid the bias by generating samples for each RGB channel or sampling a color channel

## Conclusion

- Variance reduction technique based on WIS for visibility-reuse ReSTIR
  - Bias due to WIS is recursively cancelled in ReSTIR
- Color leak bias can remain for colored lights
  - Can reduce this bias by combining Bitterli et al.'s visibility reuse
  - Also discussed conditions to obtain unbiased results
- Simple and efficient
  - Suitable for real-time rendering





#### References

- Philippe Bekaert, Mateu Sbert, and Yves D. Willems. 2000. Weighted Importance Sampling Techniques for Monte Carlo Radiosity. In EGWR '00. 35–46.
- Benedikt Bitterli, ChrisWyman, Matt Pharr, Peter Shirley, Aaron Lefohn, and Wojciech Jarosz. 2020. Spatiotemporal Reservoir Resampling for Real-Time Ray Tracing with Dynamic Direct Lighting. ACM Trans. Graph. 39, 4, Article 148.
- Eric Heitz, Stephen Hill, and Morgan McGuire. 2018. Combining Analytic Direct Illumination and Stochastic Shadows. In I3D '18. Article 2.
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- Amazon Lumberyard. 2017. Amazon Lumberyard Bistro, Open Research Content Archive (ORCA).
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